

Parton matter
in the early stage of
ultrarelativistic heavy ion collisions

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Project: "Quarks, Hadrons and High Energy Collisions"

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Project: "Quarks, Hadrons and High Energy Collisions"

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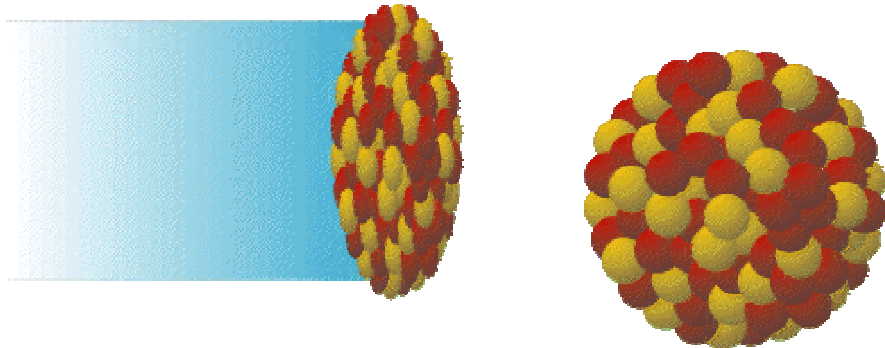
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Relativistic heavy ion collisions: 1980-2000



BEVALAC $E(\text{lab}) = 1 \text{ GeV/A}$



CERN SPS $E(\text{lab}) = 158 \text{ GeV/A}$

Q: How strong is the stopping ??

A: Strong stopping !!!

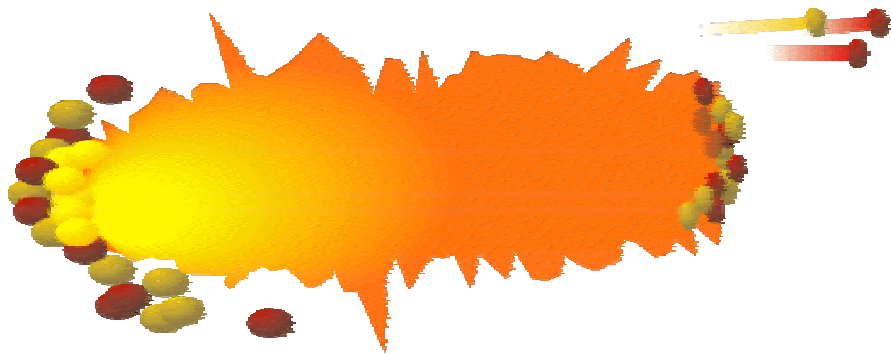
Lots of particle in midrapidity !



Hydrodynamical description
(thermodynamical equil.)



EOS for nuclear matter
(EOS for neutron stars)



⇒ **Strongly interacting nuclear matter + fireball formation**

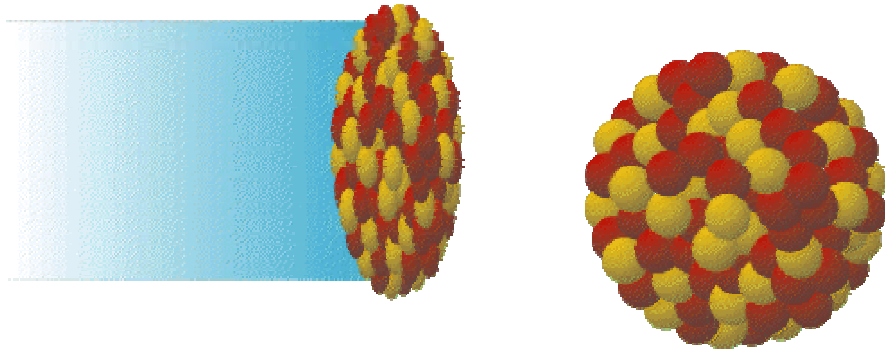
Only one problem: $p + p \leftrightarrow Au + Au$

A1: string \leftrightarrow string-melting

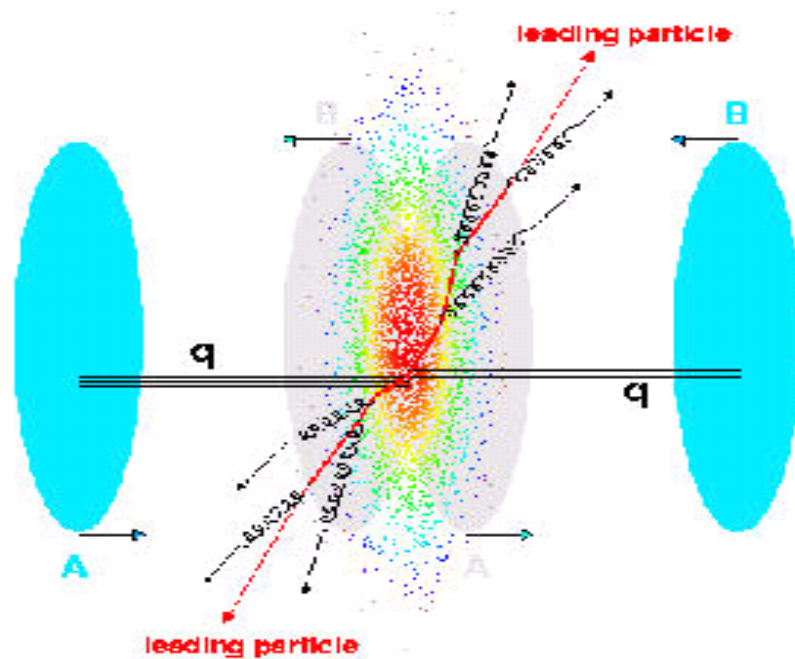
A2: val quark \leftrightarrow quark matter

➔ **Soft physics**

Relativistic heavy ion collisions ($\sqrt{s}=20\text{-}200$ AGeV)



Collision of two extended objects consist of protons and neutrons.



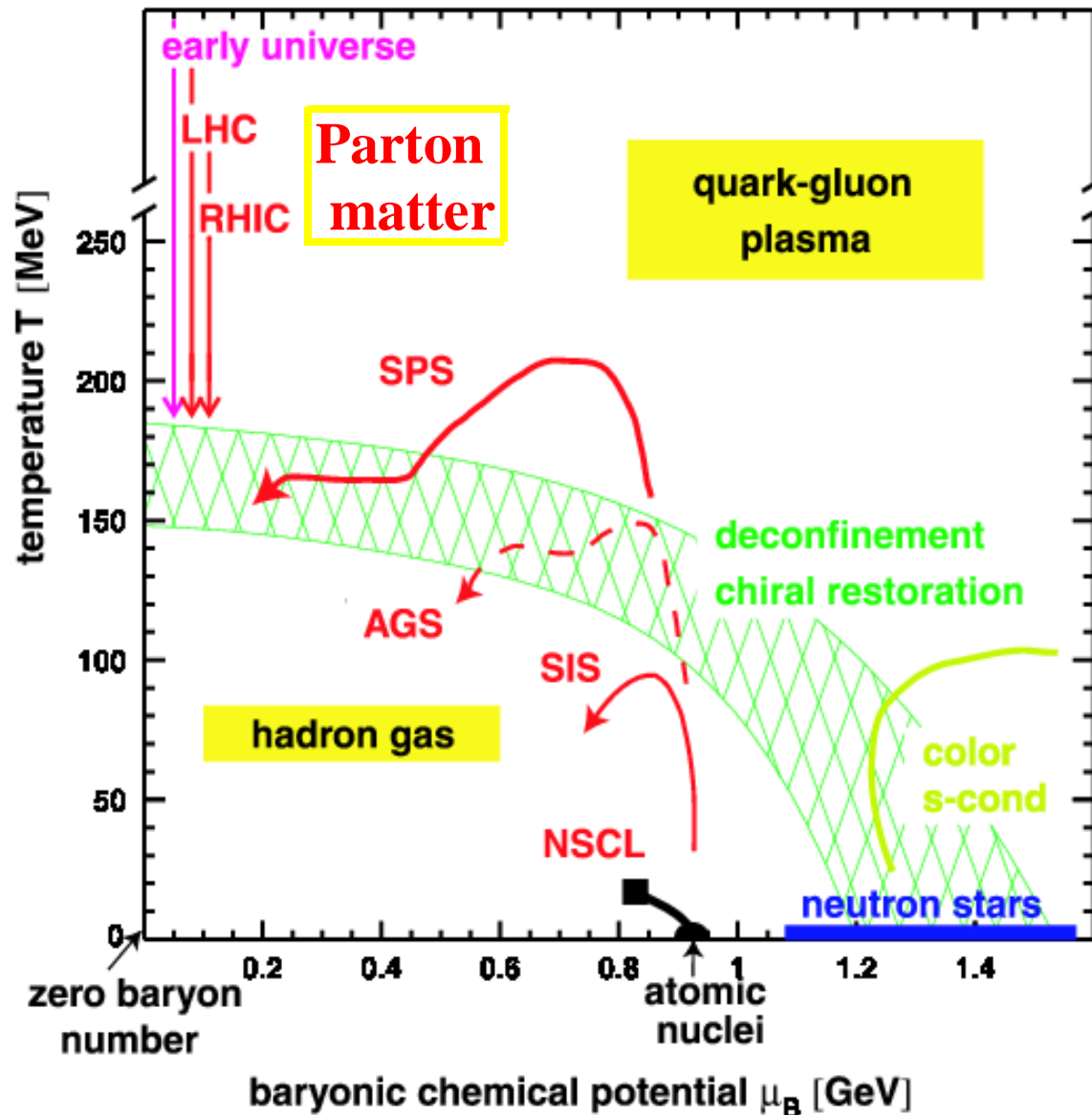
Release of
subnuclear
degrees of freedom

Quarks and gluons
with high energies ← **Jets**

Production
Propagation
Hadronization
in dense matter

Testing the produced hot dense matter → **Testing QCD**
Finding QGP!

EOS for strongly interacting nuclear/hadronic/quark matter:



Bulk matter :

Hydrodynamical models
Thermal description (T, μ)

Freeze-out criteria for
expanding and diluting
fireballs

Particle production in
 $0 \leq p_T \leq 3 \text{ GeV}$

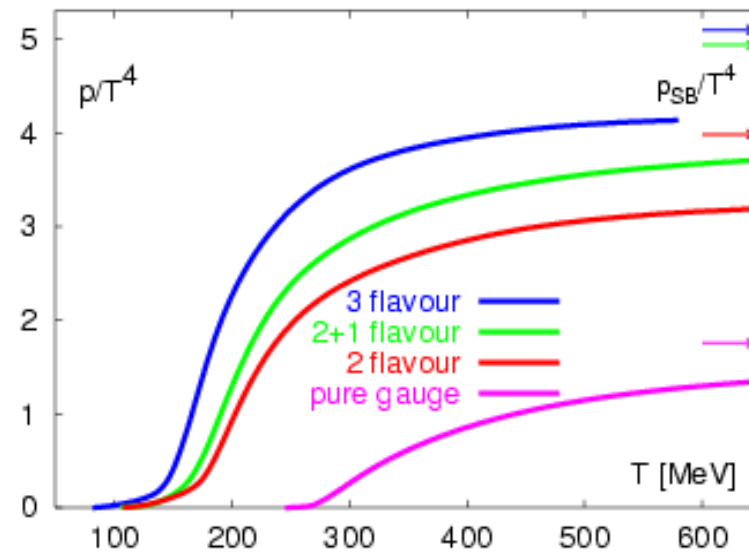
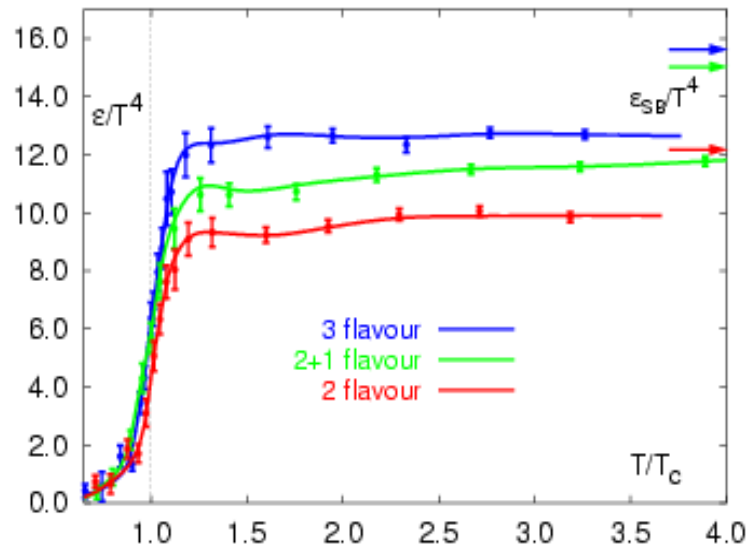
Exponential hadron spectra
verify thermal description

EOS for strongly interacting matter from lattice-QCD

zero baryon density (1990-2000)

finite baryon densities (2000 -)

→ $\varepsilon(T, \mu)$, $P(T, \mu)$



More realistic EOS for deconfined matter

Non-ideal EOS → quasi-particle picture of strongly interacting QM

Bogoliubov Lab. of Theoretical Physics

➤➤➤➤ Detailed microscopical picture of deconfinement is needed

0. Introduction --- parton matter, quark matter, EOS

1. How to test:

--- parton matter in the early stages ?

➔ **jet-tomography** (induced jet energy loss, opacity)
(density evolution is integrated in time)

--- quark matter around phase transition?

➔ **hadronization models** (quark coalescence)
(density at phase transition)

2. Can we calculate the early stages directly ?

➔ **hard parton production from perturbative QCD;**

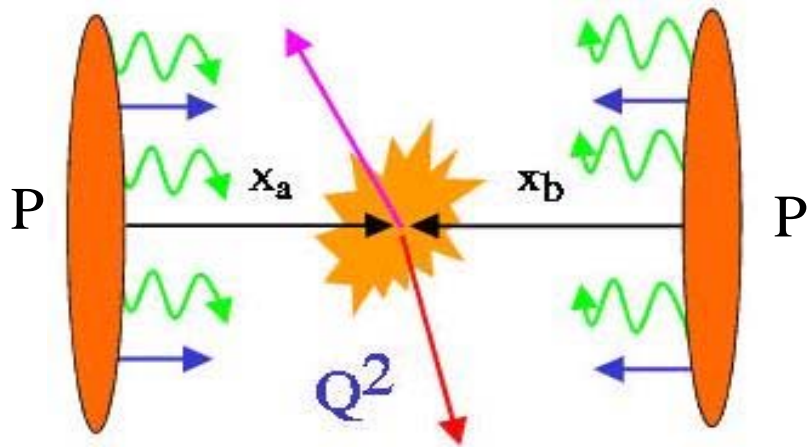
➔ **soft hadron production from non-perturbative QCD;**

--- lattice QCD

--- kinetic theory (pair production)

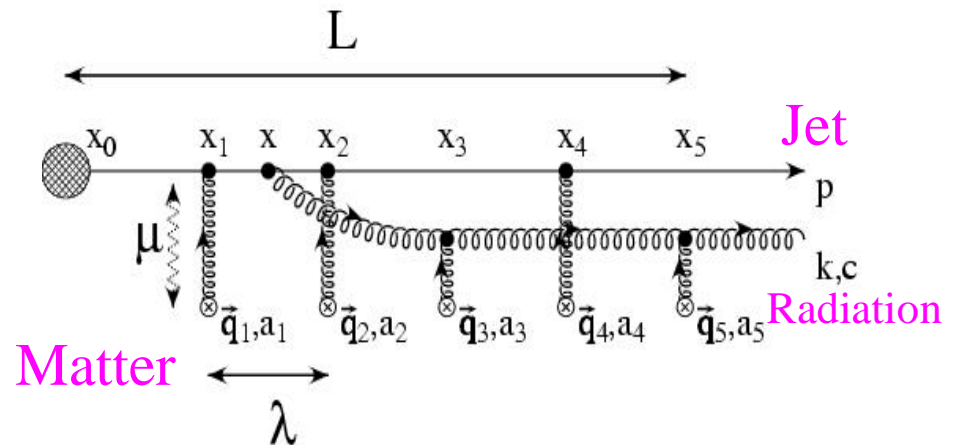
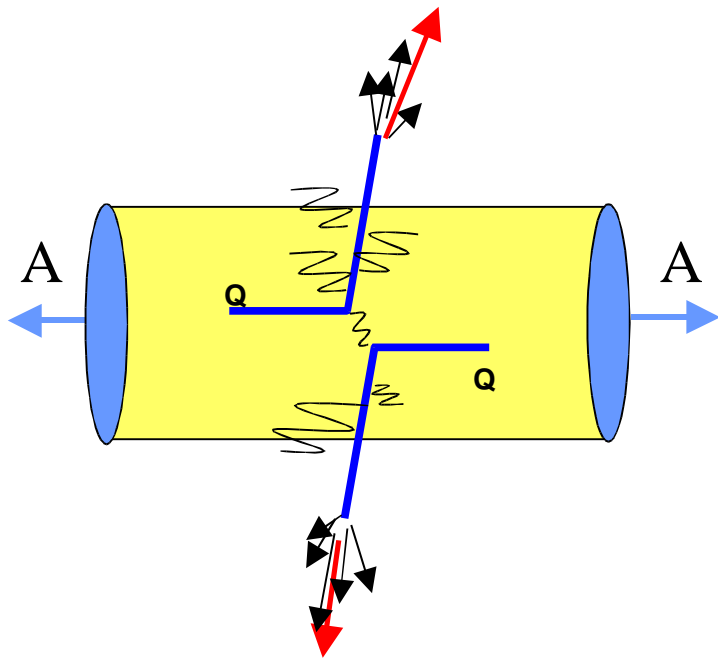
3. Summary

Jets in pp and in AA collisions:



**Jet production in pp collision
(in vacuum):**
 → pQCD description

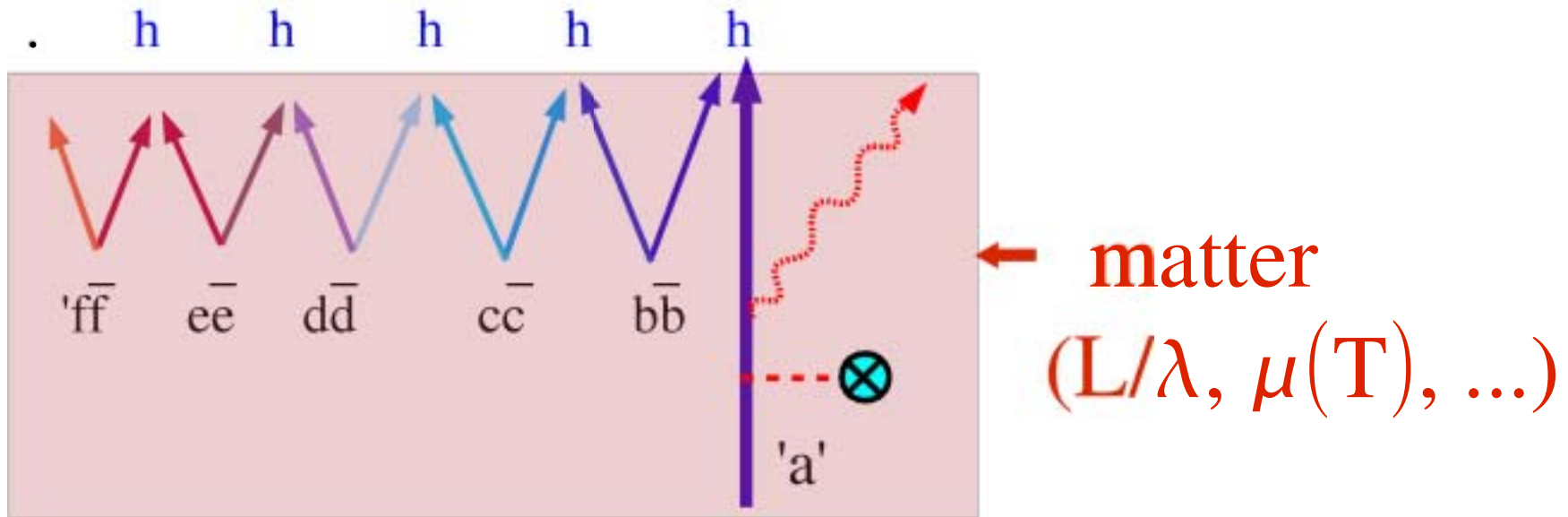
**Jet production and propagation
in AA collision (inside hot dense matter)**
 → induced gluon radiation in a
 modified pQCD description
JET-TOMOGRAPHY



'Hard' physics: independent jet-fragmentation (FF) in matter

Fragmentation function: $D_c^h(z) dz$ ←

the probability to produce a hadron **h** with momentum $z p$ from a jet **c** with momentum **p**



1. Induced gluon radiation $\triangleright \triangleright \triangleright \triangleright \triangleright$ jet energy loss

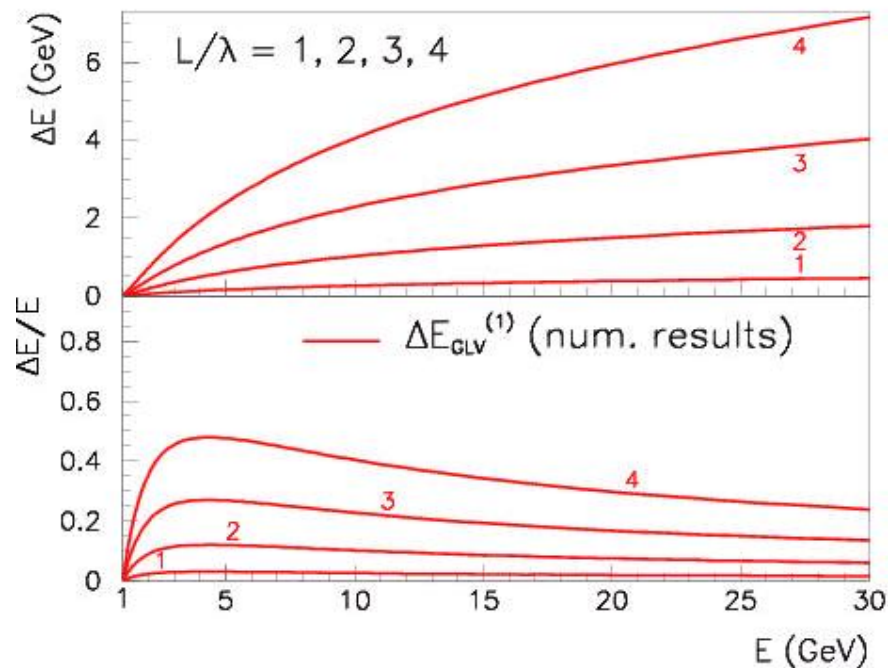
Jet-quenching: $E \Rightarrow E - \Delta E(E, L/\lambda, \mu, \dots)$

$$D_c^h(z) dz \rightarrow D_c^h(z^o) \frac{z^o}{z} dz^o \quad \text{where } z^o = 1 - \Delta E/E$$

'Jet-quenching' : induced jet energy loss --- in thin colored matter

M. Gyulassy, P. Levai, I. Vitev,
PRL85,5535(2000), NPB594,371(2001)

GLV: time-ordered pQCD (Feynman diagrams)
+ OPACITY expansion (N = 1,2,3, ...)
+ kinematical cuts



$$\Delta E_{GLV} \approx \frac{C_R \alpha_s}{N(E)} \frac{L^2 \mu^2}{\lambda_g} \log \frac{E}{\mu}$$

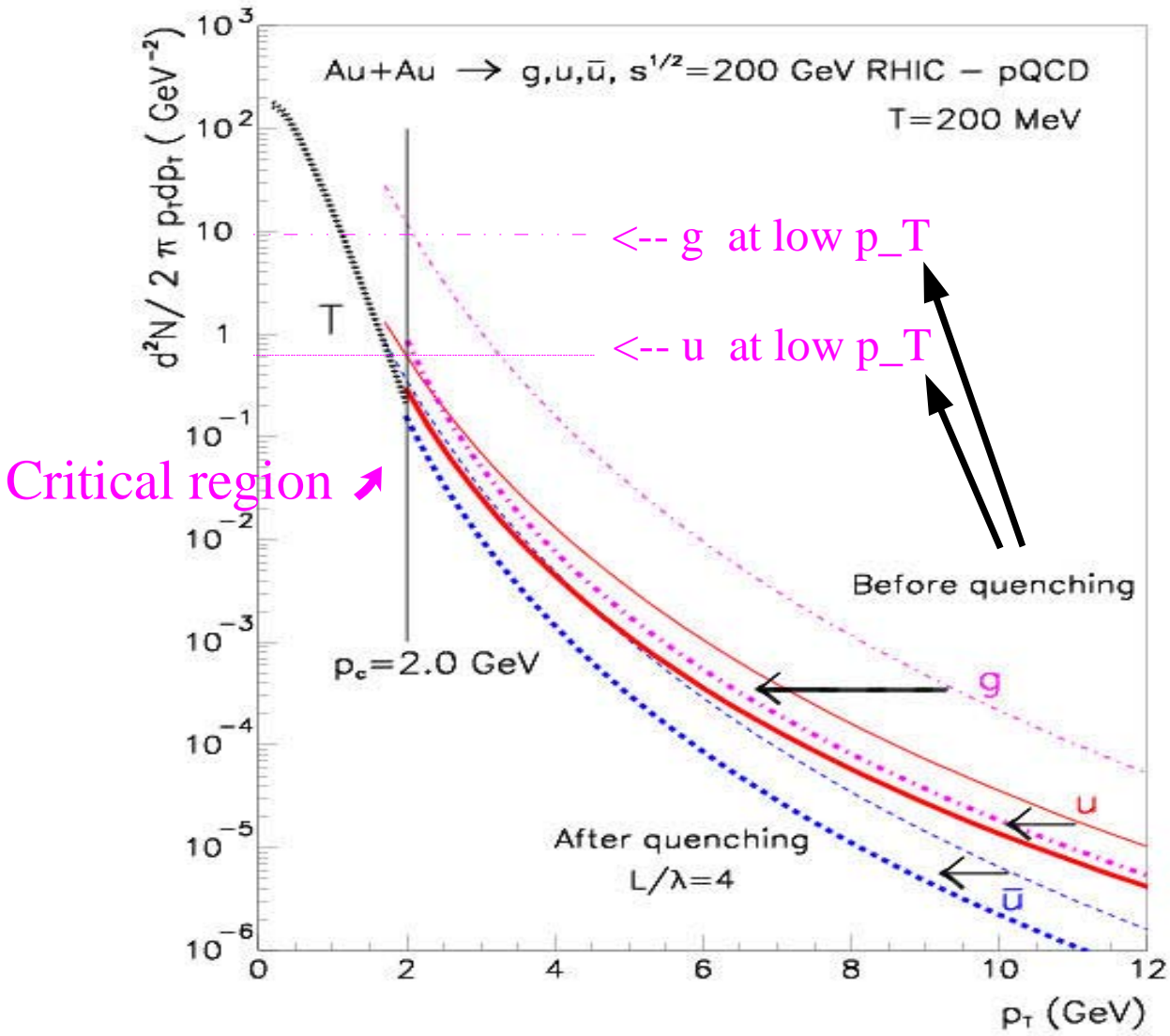
E-dependent ΔE energy loss

E-independent $\Delta E/E$

in the window

$3 < E < 10-15$ GeV

Initial parton distributions before and after quenching



Before quenching:

AuAu spectra
 \equiv binary scaled pp spectra

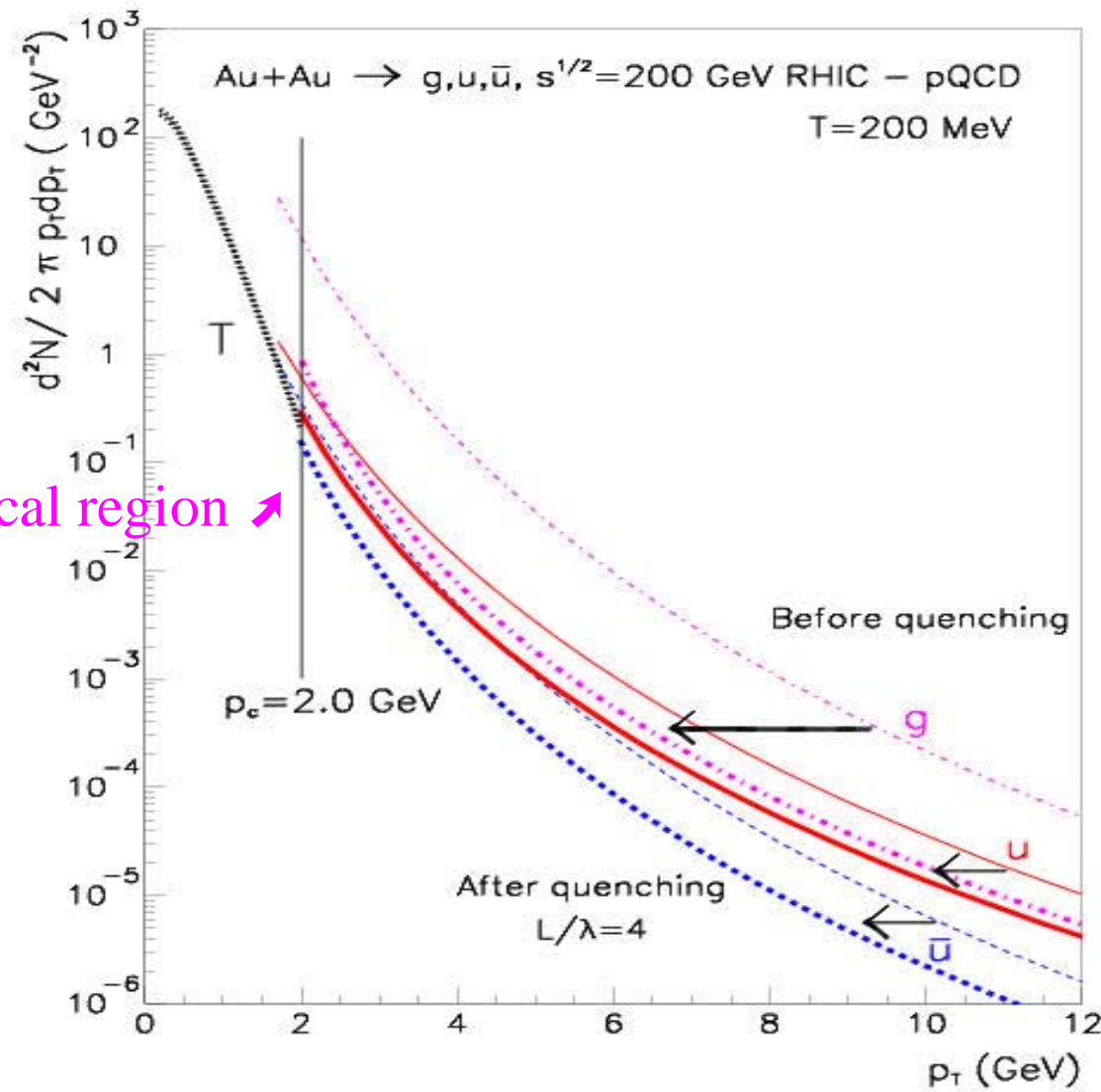
primary partons \rightarrow

$p_T > p_c$: polinomial
 $p_T < p_c$: suppressed or saturated

$p_T > p_c$:

80 % of dE_T/dy ($y=0$)

Initial parton distributions before and after quenching



Critical region ↗

Thermal --- Non-thermal distributions !?!

After quenching:

radiated gluons →
 thermal bath ($T=200$ MeV)
 ≡ **hot dense matter formation**

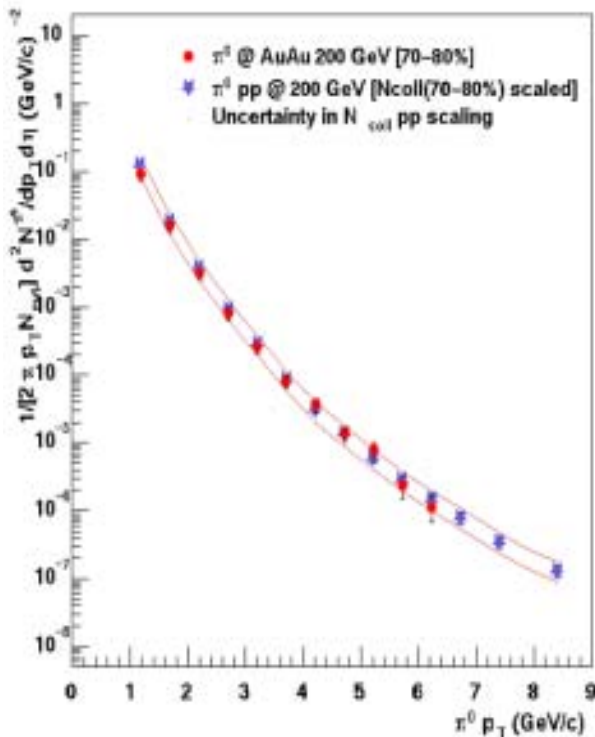
$dE_T/dy (y=0) = 570$ GeV
 80 % is soft ($p_T < p_c$)
 20 % is hard ($p_T > p_c$)

Modification in parton spectra is shifted to smaller hadronic p_T in case of independent jet fragmentation.

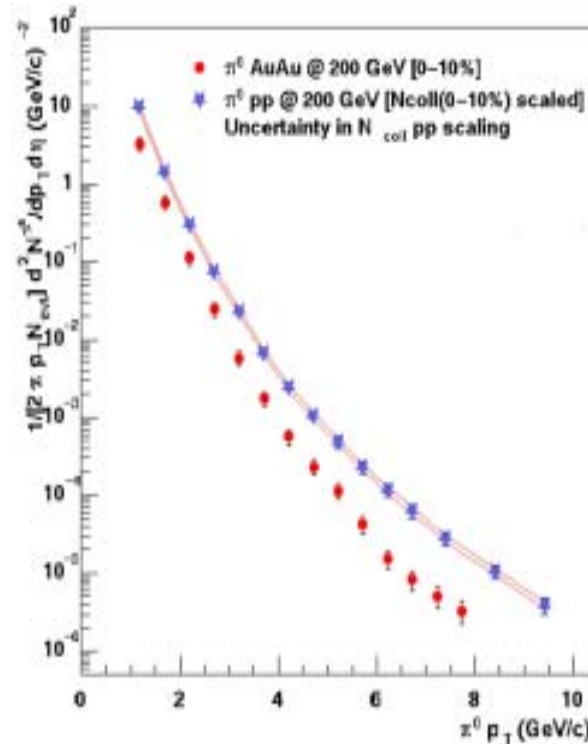
JET-QUENCHING
 ↓ ↓ ↓ ↓
SUPPRESSION in HADRON SPECTRA

Exciting results from RHIC at $\sqrt{s} = 130$ and 200 A GeV -- π^0

PHENIX Coll., D. d'Enterria, hep-ex/0209051, QM02 Conf.



Peripheral coll. $N(\text{bin})=12.3 \pm 4$
binary scaling is working



Central coll. $N(\text{bin})=975 \pm 94$
binary scaling is violated

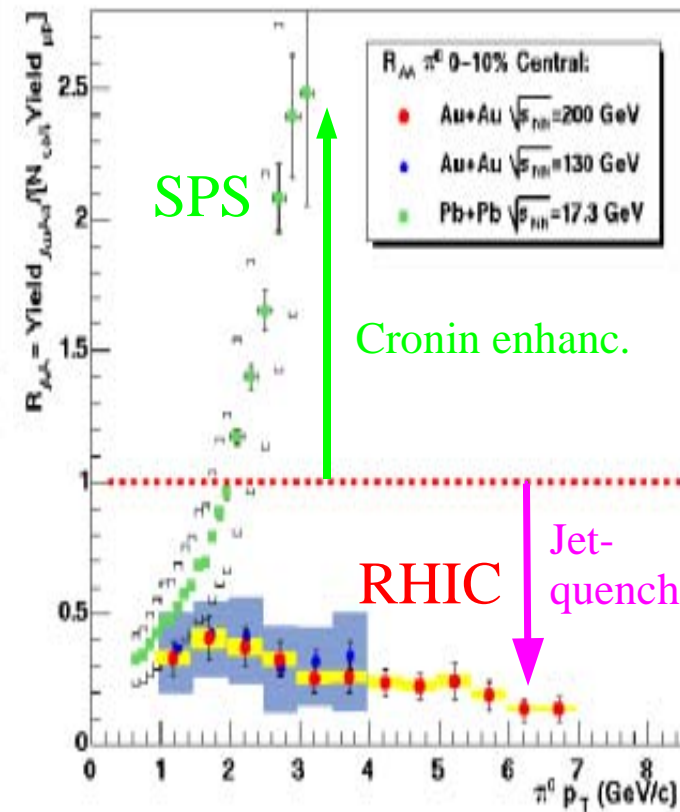
$p_T > 6 - 8 \text{ GeV} : \text{Hard physics} - p\text{QCD}$

$1.5 \text{ GeV} < p_T < 6 \text{ GeV} : \text{Soft} - \text{hard overlap}$

Nuclear modification factor:

$$R_{AA}(p_T) = \frac{(dN/dp_T)_{AA}}{\langle N_{bin} \rangle (dN/dp_T)_{pp}}$$

PRL 88, 022301 (2002)

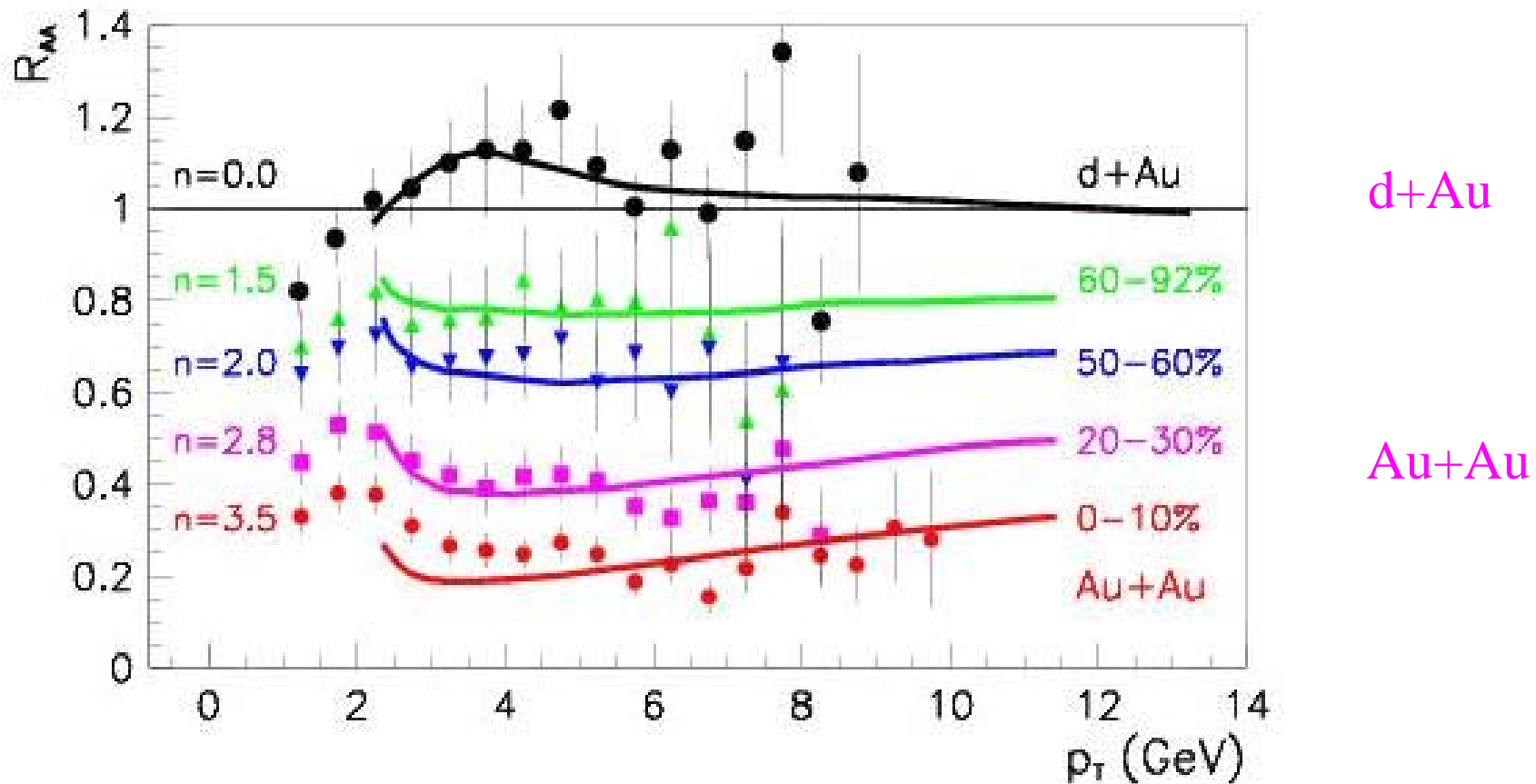


Hard physics: pion production in AA collision at high- p_T

Perturbative QCD calculations in NLO for heavy ion collisions:

geometrical overlap + shadowing, multiscattering, jet-quenching, ...

$$E_\pi \frac{d\sigma^{AB}}{d^3 p_\pi} = \int d^2 b d^2 r t_A(\vec{r}) t_B(|\vec{b} - \vec{r}|) E_\pi \frac{d\sigma^{pp}}{d^3 p_\pi} \otimes S(\dots) \otimes M(\dots) \otimes Q(\dots)$$

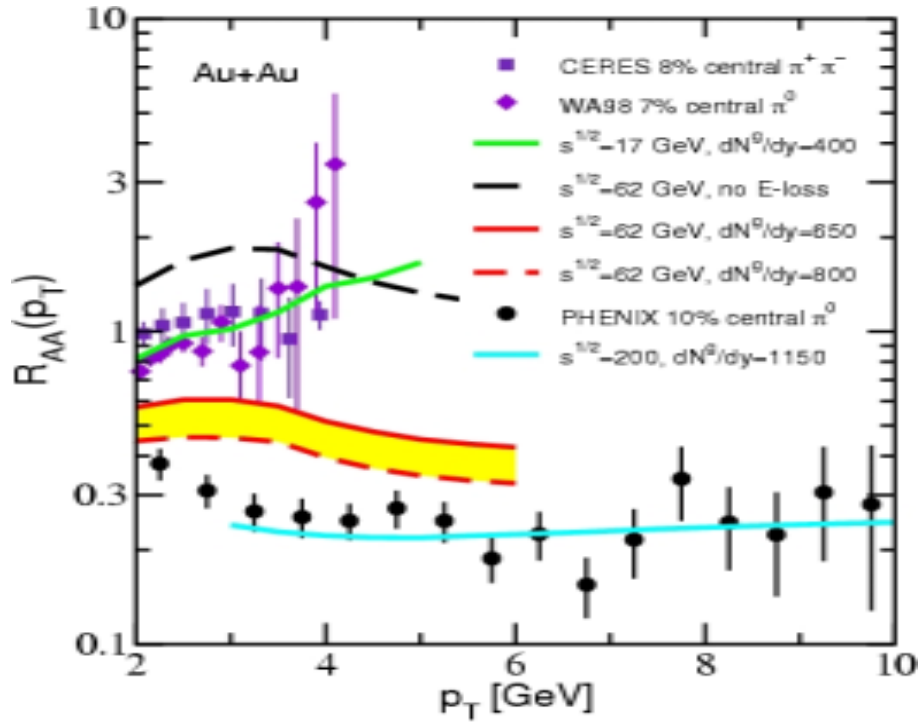


Hard physics: pion production in AA collision at high- p_T

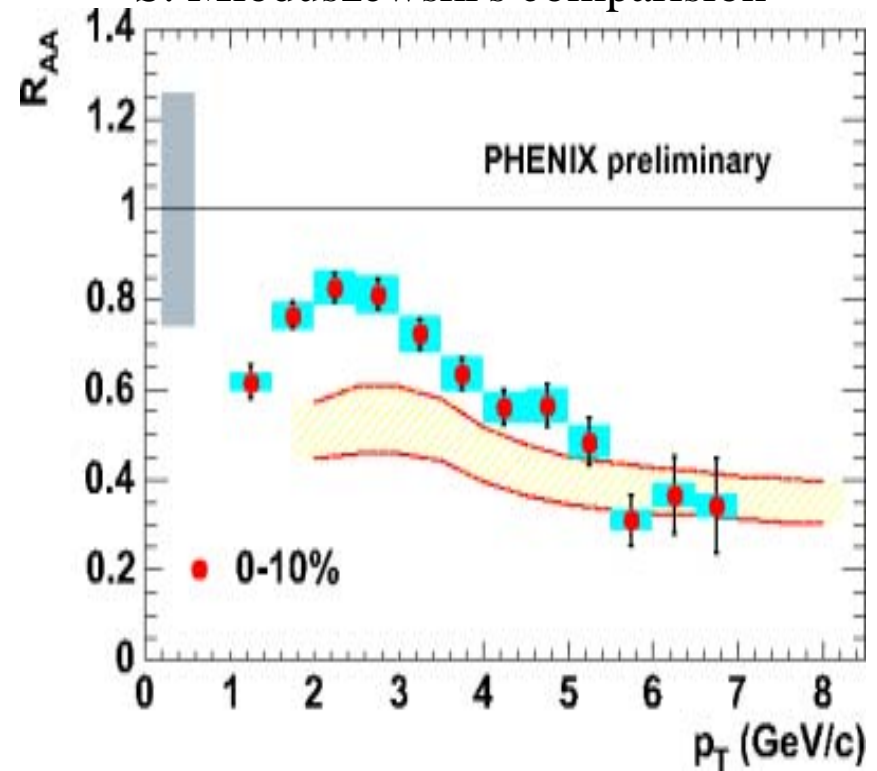
Au+Au collisions at 17, 62.4, 200 A GeV

$$L/\lambda \rightarrow \int \tau \rho(\tau) d\tau \quad \text{Opacity} \rightarrow \text{color charge density}$$

I. Vitev (nucl-th/0404052)

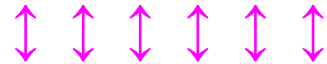


S. Mioduszewski's comparison



\sqrt{s}	=	17	62	200	A GeV
dN_g/dy	=	400	700	1150	

"Testing deconfined matter around phase transition"

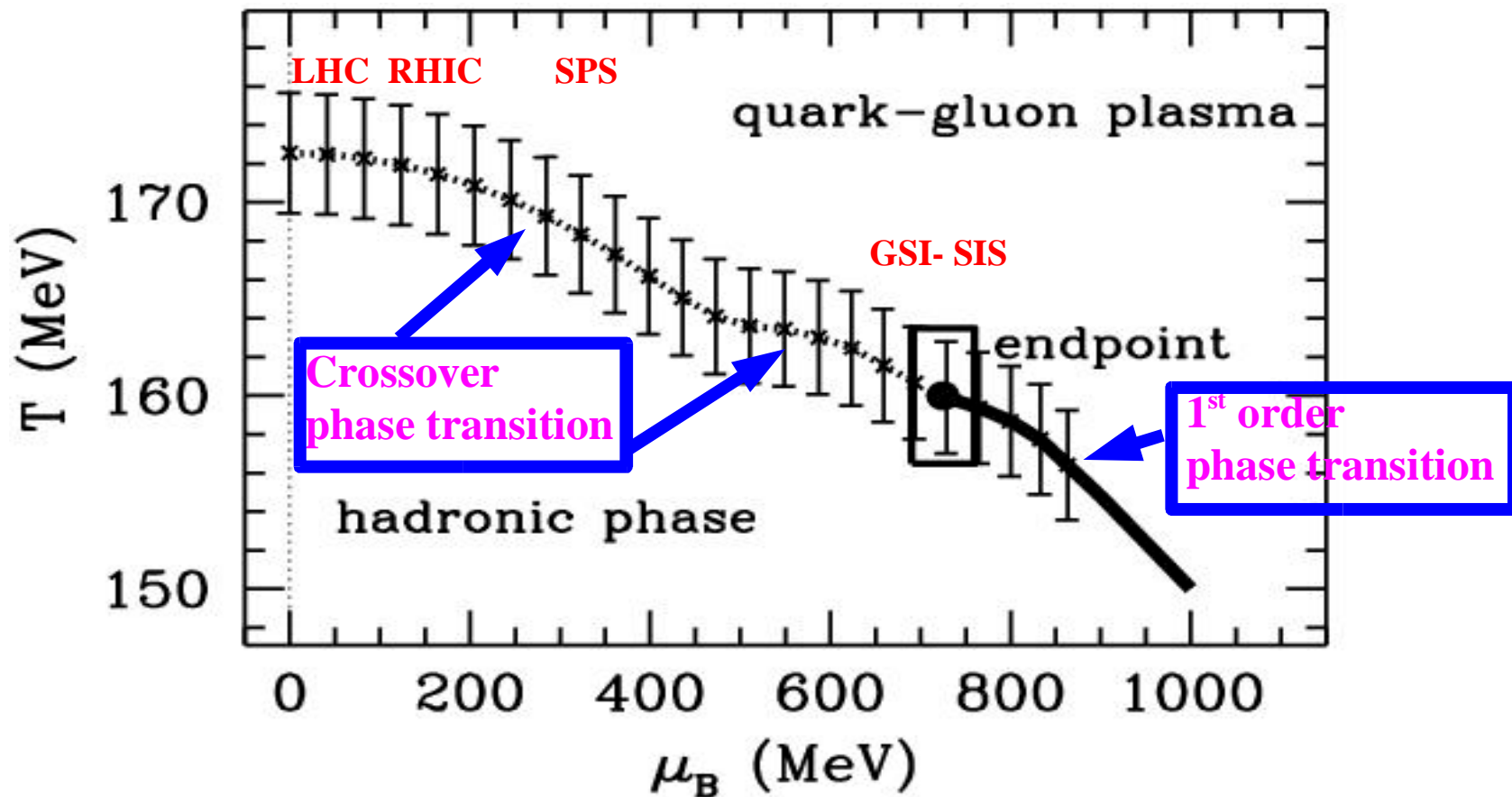


Hadronization models and descriptions

(Phenomenological descriptions.)

Quark matter formation in heavy ion collisions

Lattice-QCD results at finite density, SU(3), $N_f=2$ $\mu > 0$ (2002, Fodor et al.)



Crossover phase transition at small and intermediate baryon densities:

What is the microscopical mechanism of the hadronization ????

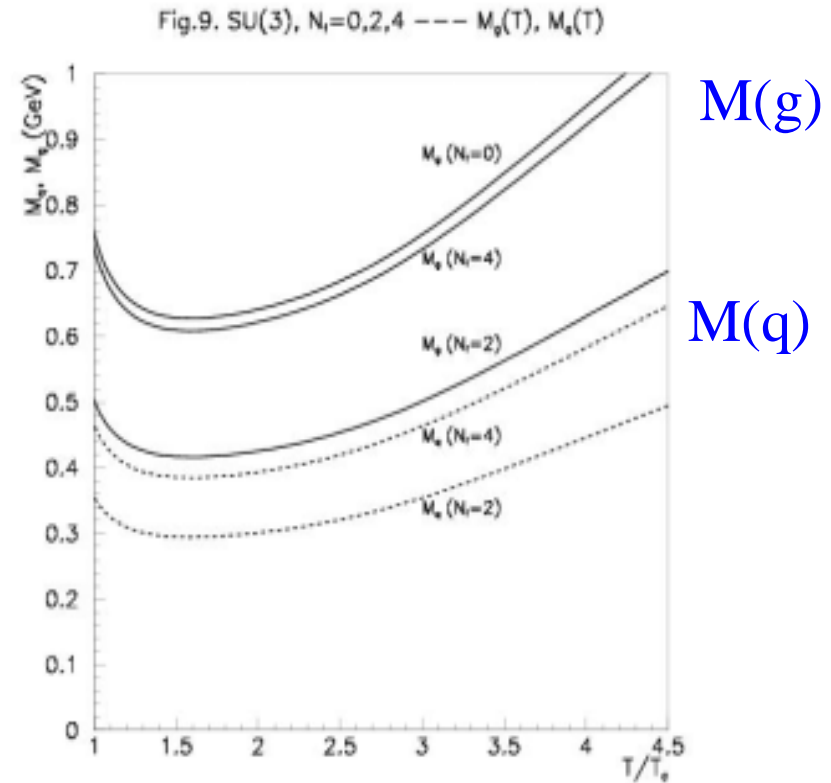
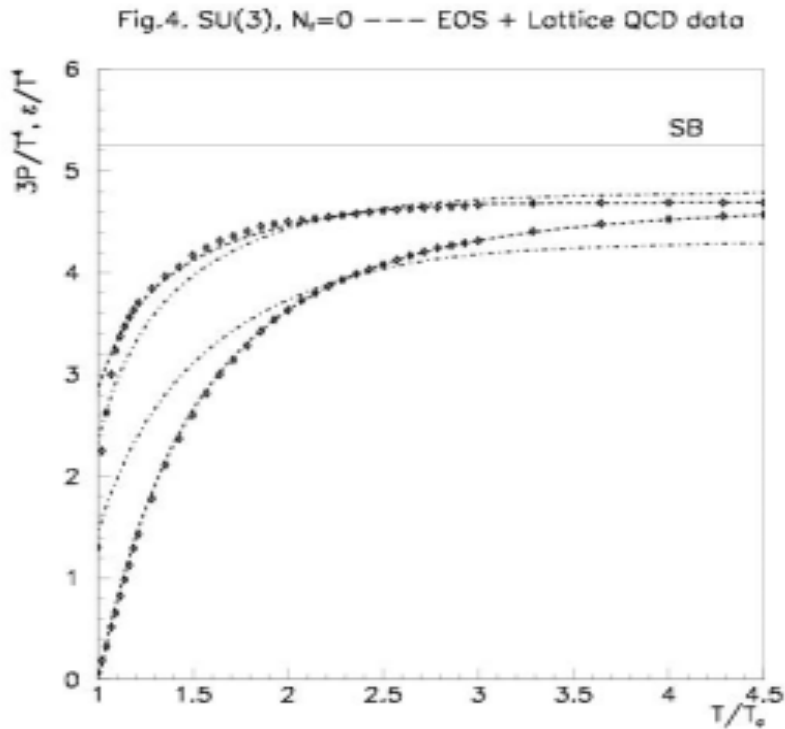
⇒ **QUARK COALESCENCE as one possibility**

WE WANT TO FIND SOME "DECONFINED" PHASE !!



Quark matter formation in heavy ion collisions

Lattice-QCD results around T_c , SU(3), $N_f=0,2,4$ $\mu=0$ (1990 - ...)



Understanding in a quasiparticle picture: $M(Q) \simeq 300$ MeV, $M(G) \simeq 500-800$ MeV
 [L.P, Heinz U., 1996, PRC51,3326]

→ Quark and antiquark dominated matter (QAP)

HADRONIZATION \Leftrightarrow **QUARK COALESCENCE** (ALCOR '95)

('Cross-over' phase transition) (T.S. Biro, P.L., J. Zimányi)

Interior of quark stars (G.G. Barnafoldi, B. Lukacs, P.L., 2003)

Quark matter formation in heavy ion collisions

Lattice-QCD results around T_c , SU(3), $N_f=0,2,4$ $\mu=0$

Fig.10. SU(3), $N_f=0,2,4$ --- n_g/n_g^0 , n_q/n_q^0

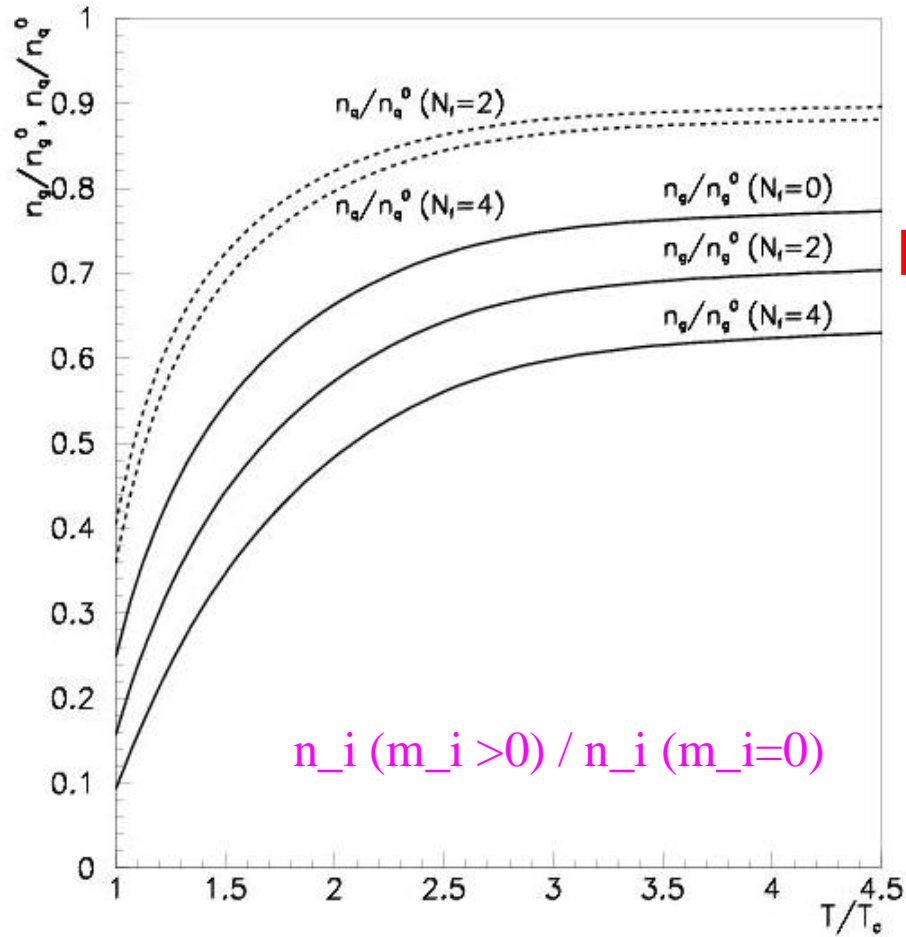
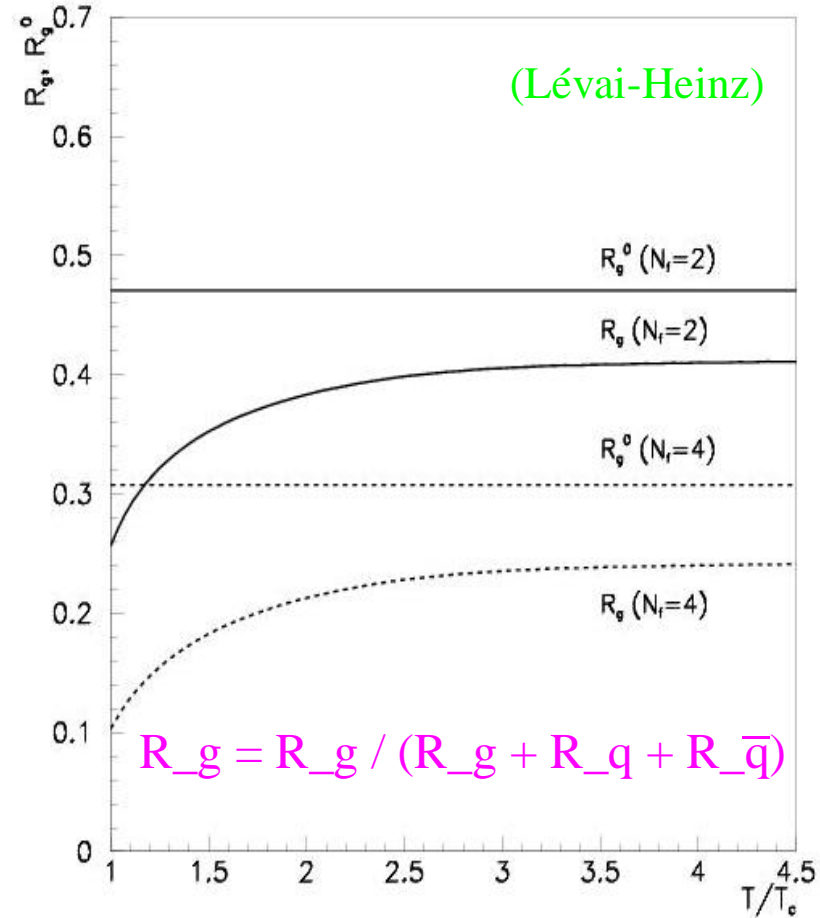


Fig.11. SU(3), $N_f=2,4$ --- $R_g(T)$, $R_g^0(T)$



→ GLUON numbers are strongly suppressed at T_c and they will decay
QUARK-ANTIQUARK PLASMA

QUARK COALESCENCE: meson production in bulk quark matter

Meson production: binding of a quark and an antiquark, $q + \bar{q} \Rightarrow M$
(constituent quark model, non-relativistic approx.)

- (anti)quarks are inside a deconfined phase [QGP, QAP, CQM]
 \Rightarrow asymptotic wave functions do not exist inside deconf. phase !!!!
- the interaction between quark and antiquark drives the meson production
 \Rightarrow non-relativistic $V(q\bar{q})$ potential (lattice-QCD results around T_c !)
- direct calculation of coalescence matrix elements

$$M_{12} = \int d^3x_1 d^3x_2 \phi_M(|x_1 - x_2|) e^{-iP \cdot X} V_{12}(|x_1 - x_2|) \varphi_q(x_1) \varphi_{\bar{q}}(x_2)$$

$$\Rightarrow V_{12}(r) \text{ is an effective coalescence potential: } \underline{\underline{V_{12}}} = -\underline{\underline{\alpha_{eff}}} \frac{\langle \lambda_1 \lambda_2 \rangle}{r}$$

\Rightarrow many coalescence channels exist ($\pi, \rho, K, K^*, \phi, \dots$)

- introducing $1+2 \rightarrow 3$ coalescence cross section [e.g. ALCOR, PLB347,1995,6]:

$$\sigma_{12}(k) = \frac{m_3^2}{4\pi^2} \sqrt{\frac{2m_1 m_2}{(m_1 + m_2)^2}} |M_{12}|^2 = 16 m_3^2 \sqrt{\pi} \alpha_{eff}^2 \rho^3 \frac{a}{(1 + (ka)^2)^2} \quad \rightarrow a: \text{Bohr radius}$$

--- quark coalescence rate:

$$\langle \sigma_{12} v_{12} \rangle = \frac{\int d^3P_1 d^3P_2 f_1(P_1) f_2(P_2) \sigma_{12} v_{12}}{\int d^3P_1 d^3P_2 f_1(P_1) f_2(P_2)}$$

Can we use such a non-relativistic approximation ??? \rightarrow Quark mass !?!

$m(q) \simeq 330 \text{ MeV}, T \simeq 175 \text{ MeV} \rightarrow$ OK

Quark matter formation in heavy ion collisions

ALCOR model for quark matter hadronization [Zimányi J., Biró T., L.P. PLB347,6, 1995]

Massive quarks and antiquarks are the basic d.o.f. $u, \bar{u}, d, \bar{d}, s, \bar{s}$

Quarks from nucleus are melted (stopping)

Newly produced light quark-antiquark pairs

Newly produced strange quark-antiquark pairs

$$\frac{dN(u)}{dy} = P * N_u^{(total u)} + \frac{dN(\langle u \bar{u} \rangle)}{dy}$$

$$\frac{dN(s)}{dy} = \frac{dN(\langle s \bar{s} \rangle)}{dy}$$

Attractive potential between (anti-)quarks

$$V_{eff}(r) = -\alpha_{eff} \frac{\langle \lambda_i \lambda_j \rangle}{r}$$

Heavy hadron resonances are produced -> decay

RESULT: analysis and understanding of the particle numbers and their ratios + energy dependence

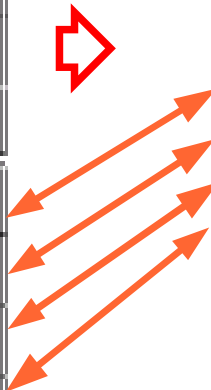
Input parameters: $\underline{P}; \langle \underline{u \bar{u}} \rangle = \langle \underline{d \bar{d}} \rangle; \langle \underline{s \bar{s}} \rangle = \underline{f_s} * (\langle \underline{u \bar{u}} \rangle + \langle \underline{d \bar{d}} \rangle); \underline{\alpha}_{eff}$

Quark matter formation at RHIC at $\sqrt{s} = 130$ & 200 A GeV

ALCOR model for quark matter hadronization

2004 April

	ALCOR 130 AGeV	ALCOR 200 AGeV
New pairs, $dN_{u\bar{u}}/dy$	250	286
Strangeness, f_s	0.22	0.22
Stopping, in %	3.3	3.0
Interaction, α_{eff}	0.55	0.55



Au+Au dX/dy or R	STAR 130 AGeV	ALCOR	STAR 200 AGeV	ALCOR
π^-	287 ± 20	287	327 ± 32	322
K^-	41.9 ± 5.5	40.4	49.5 ± 7.4	45.6
K^-/K^+	0.91 ± 0.11	0.93	0.92 ± 0.02	0.94
Ξ^+	1.72 ± 0.1	1.76	1.81 ± 0.08	2.23
h^\pm		690	780	780
K^+	46.2 ± 6.1	43.1	51.3 ± 7.7	48.1
Ξ^-	2.05 ± 0.1	2.16	2.16 ± 0.09	2.59
$\langle \Omega^- + \bar{\Omega}^+ \rangle$	0.55 ± 0.15	0.59	0.59 ± 0.14	0.72
\bar{p}^-/p^+	0.64 ± 0.07	0.70	0.77 ± 0.05	0.76
$\bar{\Lambda}/\Lambda$	0.71 ± 0.04	0.75	0.81 ± 0.07	0.810
Ξ^+/Ξ^-	0.83 ± 0.05	0.81	0.84 ± 0.06	0.86
$\bar{\Omega}^+/\Omega^-$	0.95 ± 0.15	0.88	0.95 ± 0.15	0.92
K^+/π^+	0.161 ± 0.024	0.15	0.16 ± 0.02	0.150
K^-/π^-	0.146 ± 0.022	0.14	0.15 ± 0.02	0.142
$\bar{\Lambda}/h^-$	0.054 ± 0.001	0.047		0.050
$\bar{\Lambda}/h^+$	0.040 ± 0.001	0.037		0.042
Ξ^-/π^-	0.006 ± 0.001	0.007	0.007 ± 0.001	0.008
K^{*0}	36.7 ± 5.5	28.5		31.7
Φ/K^{*0}	0.49 ± 0.13	0.37	0.55 ± 0.15	0.37
Δ^{++}/p^+		0.39	0.24 ± 0.04	0.39
ρ^0/π^0		0.22	0.20 ± 0.04	0.22

Quark-coalescence:

reproduces most of the bulk properties at RHIC energies (particle numbers, ratios, their energy dependence)

Quark matter formation at SPS at E(beam) = 158 & 80 A GeV

ALCOR model for quark matter hadronization

2004 April

	ALCOR 158 GeV fit	ALCOR 80 GeV
New pairs, $dN_{u\bar{u}}/dy$	123	88
Strangeness, f_s	0.26	0.30
Stopping, in %	14.	20.
Interaction, α_{eff}	0.7	0.9

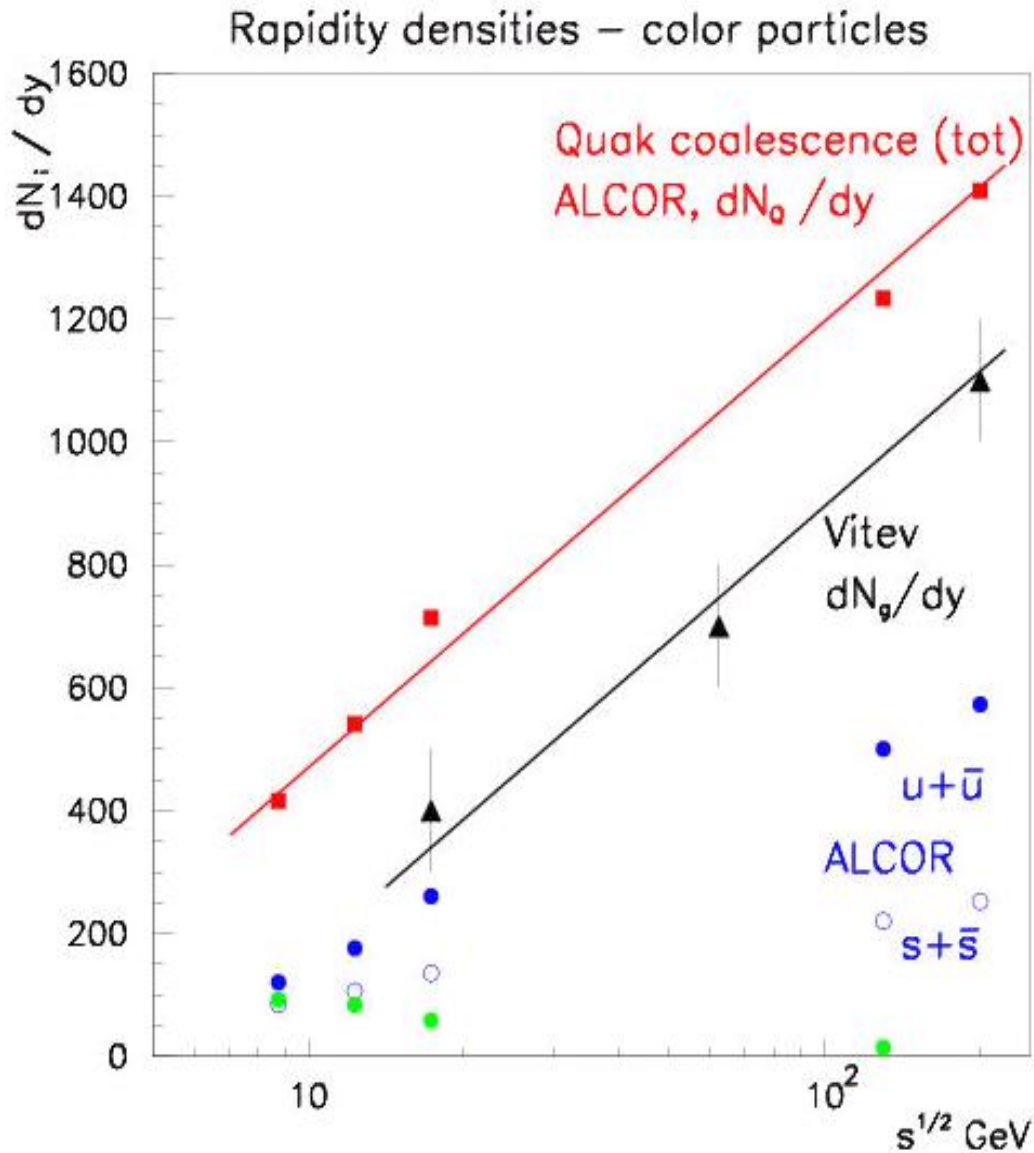


Pb+Pb dX/dy or R	NA49 158 AGeV	ALCOR	NA49 80 AGeV	ALCOR
π^-	175.4 ± 9	175	140.4 ± 7	140
K^-	16.8 ± 0.8	18.1	11.7 ± 0.6	11.2
K^-/K^+	0.56 ± 0.05	0.62	0.47 ± 0.05	0.46
Ξ^+	0.33 ± 0.04	0.36		0.31
K^+	29.6 ± 1.5	29.1	24.6 ± 1.2	24.2
Ξ^-	1.49 ± 0.08	1.84		1.81
\bar{p}/p^+	0.07 ± 0.01	0.070	0.033 ± 0.004	0.031
$\bar{\Lambda}/\Lambda$	0.148 ± 0.015	0.138	0.079 ± 0.01	0.096
Ξ^+/Ξ^-	0.22 ± 0.03	0.19	0.13 ± 0.02	0.17
$\bar{\Omega}^+/\Omega^-$	0.46 ± 0.1	0.34		0.41
Ξ^-/π^-	0.009 ± 0.001	0.0105		0.013
Ξ^+/π^+	0.0022 ± 0.0006	0.0021		0.0023
Ω^-/π^-	0.0015 ± 0.0002	0.0022		0.0022
$\bar{\Omega}^+/\pi^+$	0.00065 ± 0.00007	0.00078		0.00097

Quark-coalescence:

reproduces most of the bulk properties at SPS energies (particle numbers, ratios, their energy dependence)

Color particle densities --- quarks or gluons ???



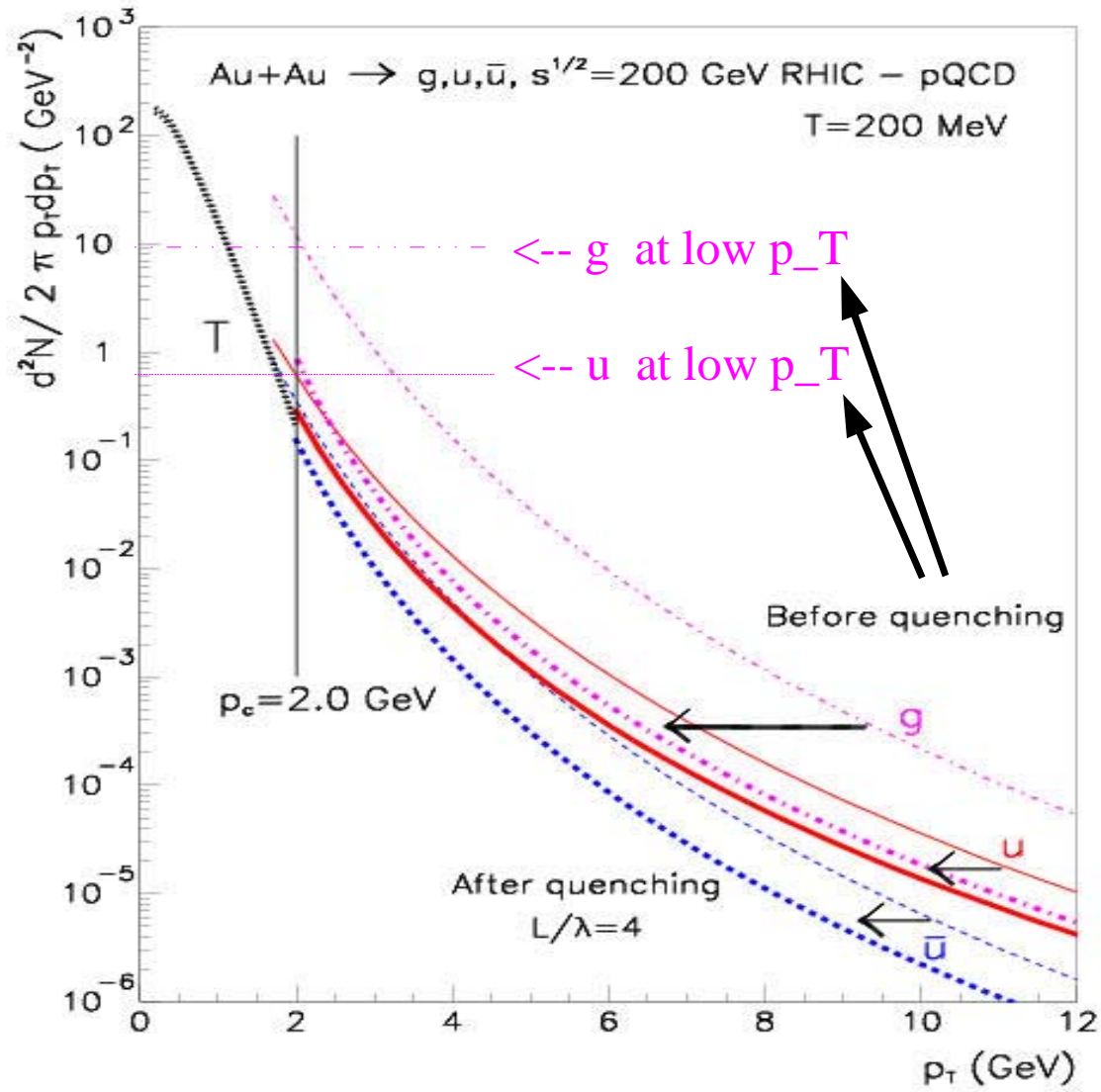
$S^{1/2}$ (GeV)	Quark-coalesc dN_q/dy	Jet-quench dN_g/dy	L/λ
17.3	710 ± 100	400 ± 100	$1.5 \pm .5$
62.4	1000 ± 100	700 ± 100	...
200.0	1400 ± 100	1100 ± 100	$3.5 \pm .5$
	ALCOR	I. Vitev	P. Levai

Quench: **earlier stage**

Quark coalescence: **later stage**

Entropy is OK

Initial parton distributions from perturbative QCD



Before quenching:

AuAu spectra
 ≡ binary scaled pp spectra

soft parton spectra:
 only estimate based on
 energy conservation

Non-perturbative QCD →
soft parton spectra:
 calculation directly

Duality:
 gluon field ↔ gluon particles

Kinetic theory:
 pair production from
 strong fields

Initial gluon distribution from non-perturbative (lattice-) QCD

A. Krasnitz, Y. Nara, R. Venugopalan, PRL87 (2001) 192302.

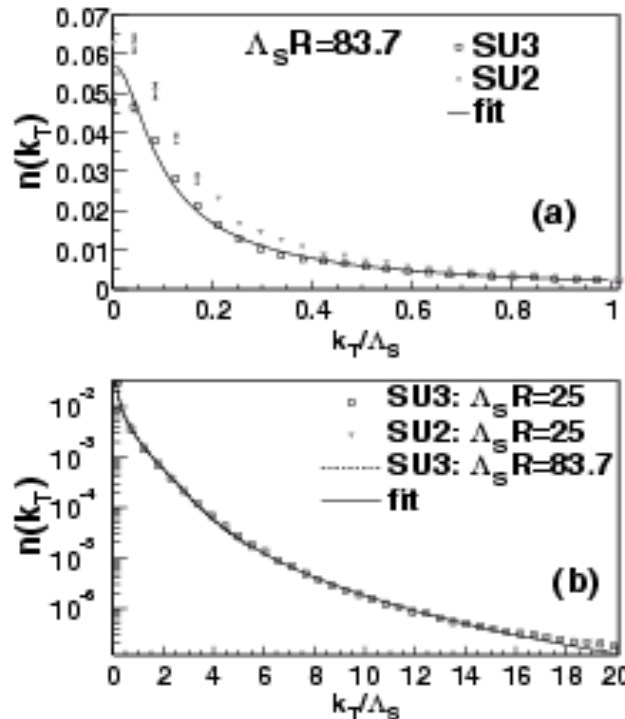


FIG. 2. Transverse momentum distribution of gluons, normalized to the color degrees of freedom, $n(k_T) = \tilde{f}_n/(N_c^2 - 1)$ [see Eq. (3)] as a function of $\Lambda_S R$ for SU(3) (squares) and SU(2) (triangles). (a) For soft momenta; (b) for all momenta. The solid lines correspond to the fit in Eq. (4).

The SU(3) gluon momentum distribution can be fitted by the following function:

$$\frac{1}{\pi R^2} \frac{dN}{d\eta d^2k_T} = \frac{1}{g^2} \tilde{f}_n(k_T/\Lambda_s), \quad (3)$$

where $\tilde{f}_n(k_T/\Lambda_s)$ is

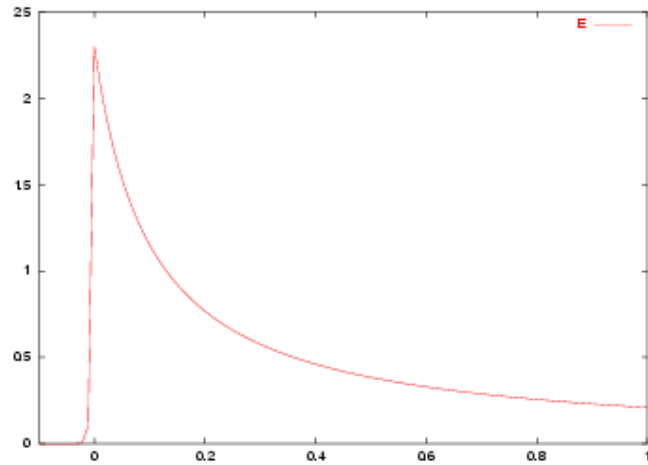
$$\tilde{f}_n = \begin{cases} a_1 [\exp(\sqrt{k_T^2 + m^2}/T_{\text{eff}}) - 1]^{-1} & (k_T/\Lambda_s \leq 3) \\ a_2 \Lambda_s^4 \log(4\pi k_T/\Lambda_s) k_T^{-4} & (k_T/\Lambda_s > 3) \end{cases} \quad (4)$$

with $a_1 = 0.0295$, $m = 0.067\Lambda_s$, $T_{\text{eff}} = 0.93\Lambda_s$, and $a_2 = 0.0343$. At low momenta, the functional form is approximately that of a Bose-Einstein distribution in two dimensions even though the underlying dynamics is that of classical fields. The functional form at high momentum is motivated by the lowest order perturbative calculations

Non-thermal distributions (Tsallis-distribution) --- T.S. Biro, A. Parvan
V. Toneev

Initial parton distributions from kinetic theory in strong field

V.V. Skokov, P. Levai, in preparation

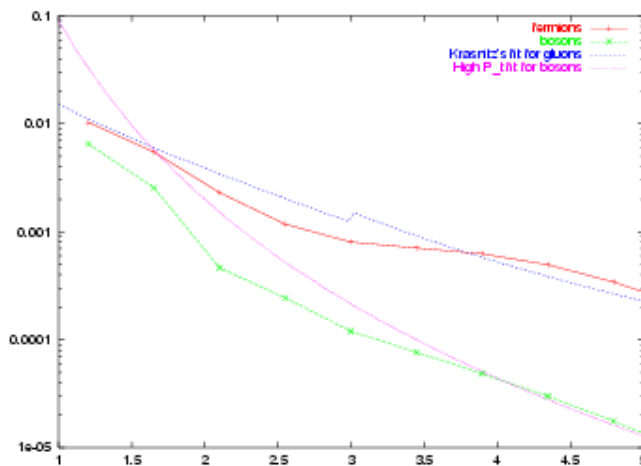


(Chromo-) Electric field impulse
(overlapping heavy ions)

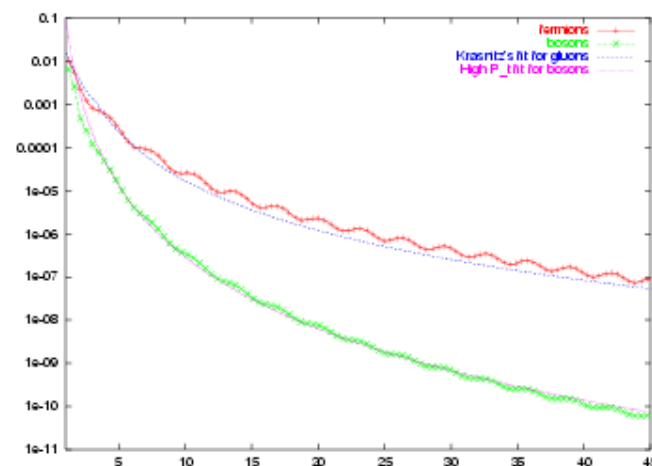
Boson production by Klein-Gordon eq. + $A^\mu(t)$

Fermion production by Dirac eq. + $A^\mu(t)$

Num.
Simulations



Low- p_T spectra



High- p_T spectra

Fermion+
antiferm.

Boson

Fermion dominance, 90 % of ε in fermion-antifermion pairs !!

SUMMARY:

Ultrarelativistic heavy ion collisions:

**phase structure of strongly interacting matter;
EOS;
hadronization;**

Early stage: parton matter with high energy densities (QCD)

Later stage: quark-antiquark dominated deconfined matter

How has the parton matter been produced?

How has the QGP - QAP transformation happened?

**Application of non-perturbative QCD and
effective QCD methods.**

EXPERIMENTAL DATA from RHIC and LHC!

Strong demand for theoretical investigations !!!